



Xi'an Jiaotong University

**Nuclear Thermo-hydraulic
Research Laboratory**

**12th Meeting of the International Group on Research Reactors (IGORR 12)
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Fundamental Research on Molten Salt Reactors

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Outline

1

Introduction

2

Actual work:

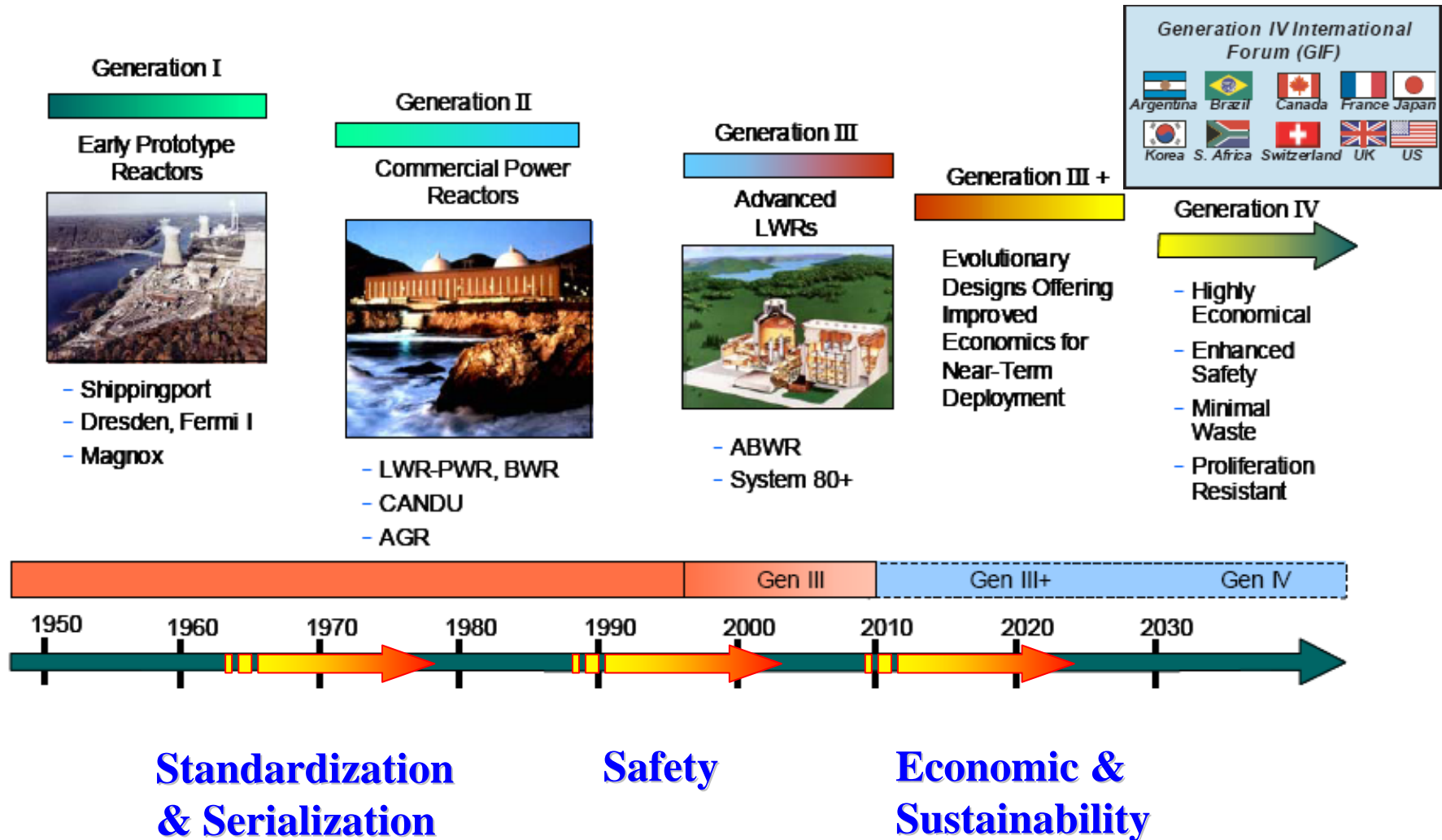
- **Thermophysical properties**
- **Neutronics**
- **Thermohydraulics**
- **Safety**

3

Concluding remarks



Overview of the Generations of Nuclear Energy Systems





➤ **Goals for Generation IV Nuclear Energy Systems and Selections**

Goals

Sustainability

Economics

Safety and Reliability

Proliferation Resistance and Physical Protection

Selections

GFR: Gas-Cooled Fast Reactor

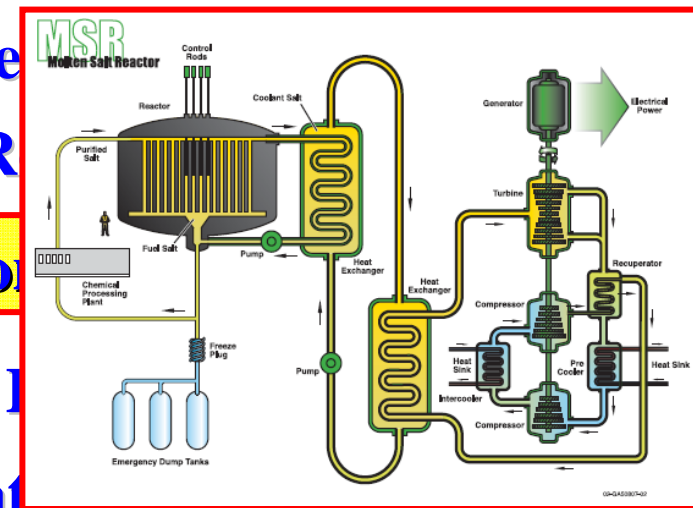
LFR: Lead-Cooled Fast Reactor

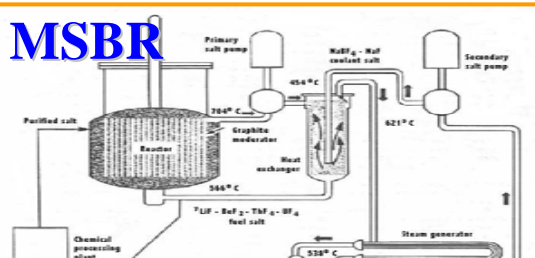
MSR: Molten Salt Reactor

SFR: Sodium-Cooled fast Reactor

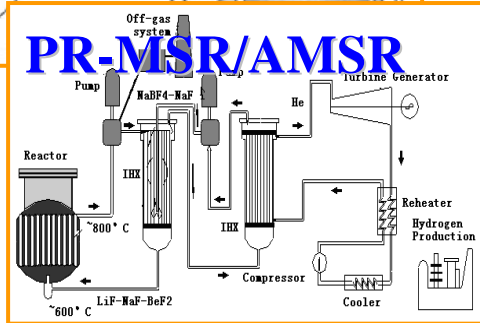
SCWR: Supercritical-Water Reactor

VHTR: Very-High-Temperature Reactor



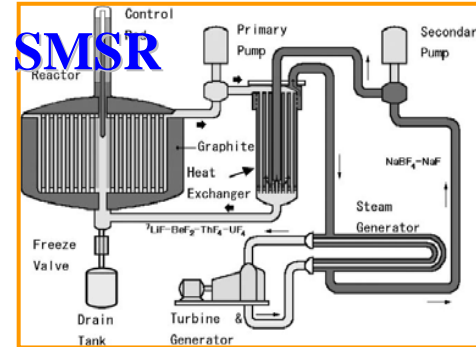


MSBR

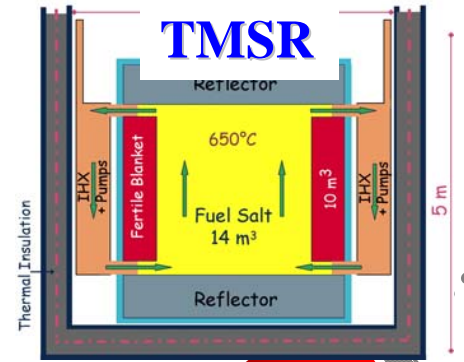


PR-MSR/AMSR

Introduction of MSR (1)



SMSR



TMSR

now

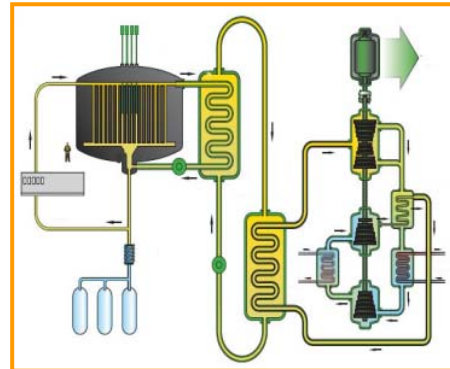
SMSR
MOSART
TMSR

ORNL: **MSRE**,
8MW, 13000
hours.

1960s

1954

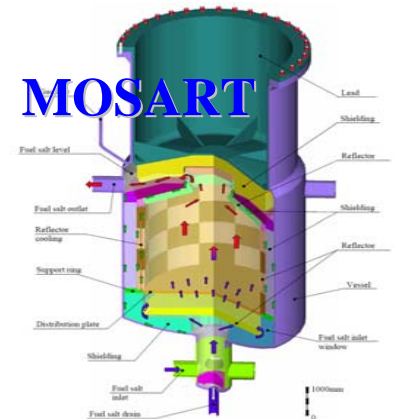
ORNL: **ARE**, 2.5MW,
for the nuclear engine
of the military jet
aircraft.



2002

GIF proposed six
of generation IV r
SCWR, VHTR, M
LFR, GFR.

1979

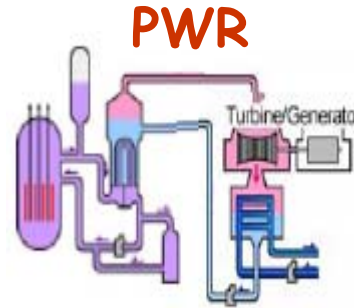


MOSART



➤ **Introduction of MSR (2)**

- **Liquid fuel**
- **Pressure < 0.5MPa**
- **Outflow Temperature >700°C**
- **Brayton cycle**



- **Solid fuel**
- **Pressure: 15MPa**
- **Outflow T: 330°C**
- **Rankine cycle**

Advantages:

- **Inherent safety feature**
- **Excellent neutron economy**
- **High thermal efficiency 45-50%**
- **Continuous or in-batch reprocessing**
- **Non-proliferation**

Technology bases:

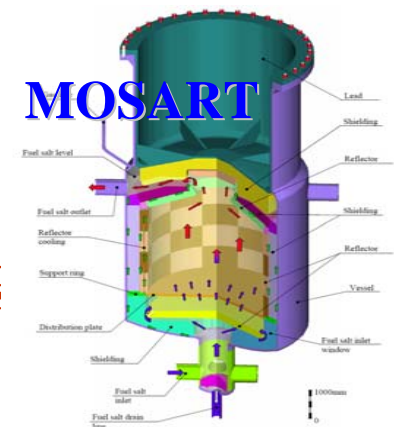
- **Prototype reactors: ARE and MSRE**
- **Technologies for high temperature reactors: Brayton cycles
Compact heat exchanges
C-C composites**



➤ **Technology Gaps for MSR**s

- **Molten salt chemistry and control**
- **Solubility of minor actinides and lanthanides in the fuel**
- **Compatibility of irradiated molten salt fuel with structural materials**
- **Salt processing, separation, and reprocessing technology**
- **Fuel development, new cross section data**
- **Corrosion and embrittlement studies**
- **Development of tritium control technology**
- **Graphite sealing technology and graphite stability**
- **Detailed conceptual design studies to develop design specifications**

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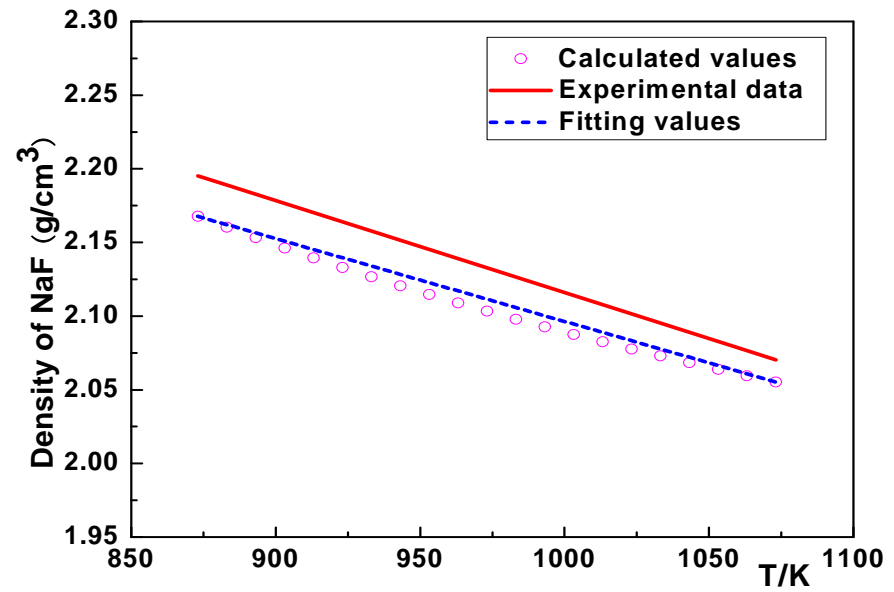
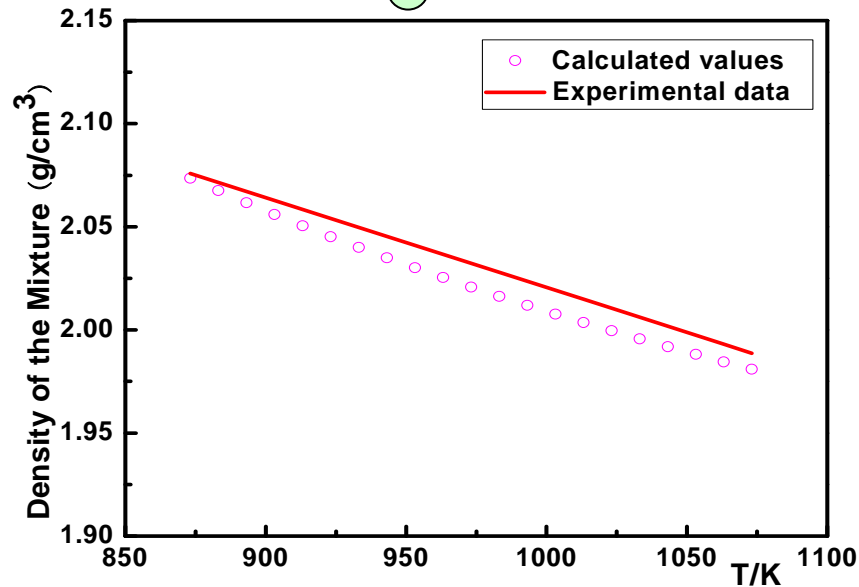




- **Fundamental Research on MSRs**
- **Evaluation of static thermophysical properties**

P-R Equation

$$p = \frac{RT}{v-b} - \frac{d}{v(v+b) + b(v-b)}$$



- **15LiF-58NaF-27BeF₂ in MOSART**



➤ **Fundamental Research on MSRs**

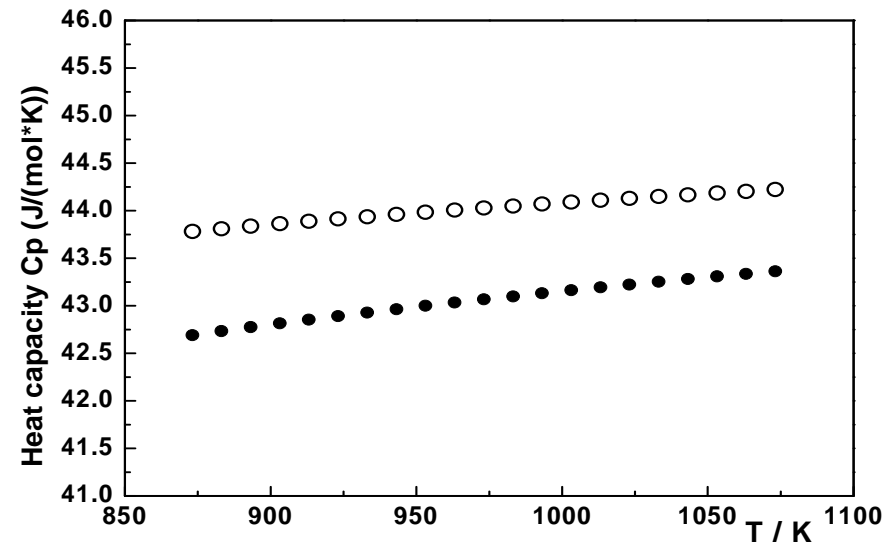
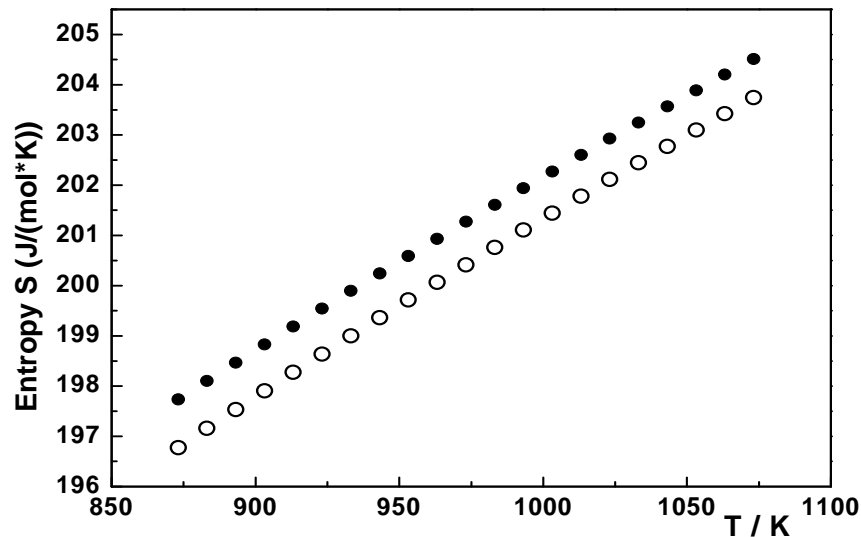
● **Evaluation of static thermophysical properties**

✓ **Residual function method**

$$M_r = M_{p,t}^* - M_{p,t}$$

✓ **Fugacity coefficient method**

$$d\bar{G}_i = RTd(\ln \hat{f}_i)_T$$



● **15LiF-58NaF-27BeF₂ in MOSART**



➤ Fundamental Research on MSRs • Neutron physics analysis

❑ Energy-time-space dependent neutronics model

Equation for neutron flux:

$$\frac{1}{v(E)} \frac{\partial \phi(r, E, t)}{\partial t} = S(r, E, t) + \chi_p(E) \int_{E'} (1 - \beta) v \Sigma_f(r, E') \cdot \phi(r, E', t) dE'$$

$$+ \sum_{i=1}^I \chi_{d,i}(E) \lambda_i C_i(r, t) + \int_{E'} \Sigma_S(r, E' \rightarrow E) \phi(r, E', t) dE'$$

$$- \Sigma_t(r, E) \phi(r, E, t) + \nabla \cdot D(r, E) \nabla \phi(r, E, t) - \frac{1}{v(E)} \nabla \cdot [\mathbf{U} \phi(r, E, t)]$$

Balance equation for delayed neutron precursors:

Convective

$$\frac{\partial C_i(r, t)}{\partial t} = \beta_i \int_E v \Sigma_f(r, E) \cdot \phi(r, E, t) dE - \lambda_i C_i(r, t) - \nabla \cdot [\mathbf{U} C_i(r, t)]$$

Energy integration →

❑ Multi-group diffusion model



➤ Fundamental Research on MSRs

● Neutron physics analysis

$$\frac{1}{v_g} \cdot \frac{\partial \phi_g}{\partial t} + \boxed{\frac{1}{v_g} \nabla(U\phi_g)} = \nabla \cdot D_g \nabla \phi_g + \sum_{g'=1}^{g-1} \phi_{g'} \cdot \Sigma_{g' \rightarrow g} - \phi_g \cdot \Sigma_{r,g}$$

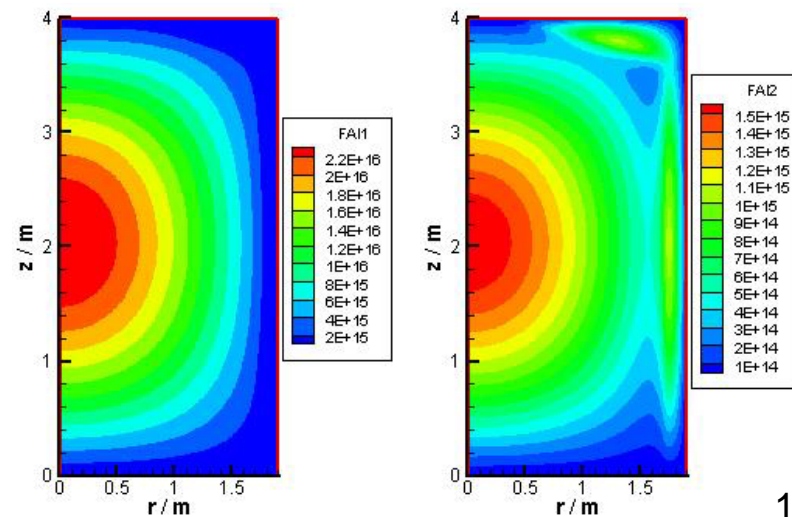
Convective $+ \chi_{p,g} \cdot (1 - \sum_{i=1}^I \beta_i) \cdot \sum_{g=1}^G (v\Sigma_f)_g \cdot \phi_g + \sum_{i=1}^I \chi_{d,g,i} \cdot \lambda_i \cdot C_i$

$$\frac{\partial C_i}{\partial t} + \boxed{\nabla(UC_i)} = \beta_i \cdot \sum_{g=1}^G (v\Sigma_f)_g \cdot \phi_g - \lambda_i \cdot C_i$$

● For MOSART

Institute	Codes	k_{eff}
BME	MCNP4C + JEFF3.1	1.00905
FZK	2D560gr. + JEFF3.0	0.99285
NRG	MCNP4C + JEFF3.1	1.00887
Polito	2D4 gr. + JEFF3.1	0.99595
RRC-KI	MCNP4B+ENDF5,6	0.99791
SCK-CEN	MCNPX250	1.00904
XJTU	NPAC-XJTU	0.99994

□ Neutron fluxes

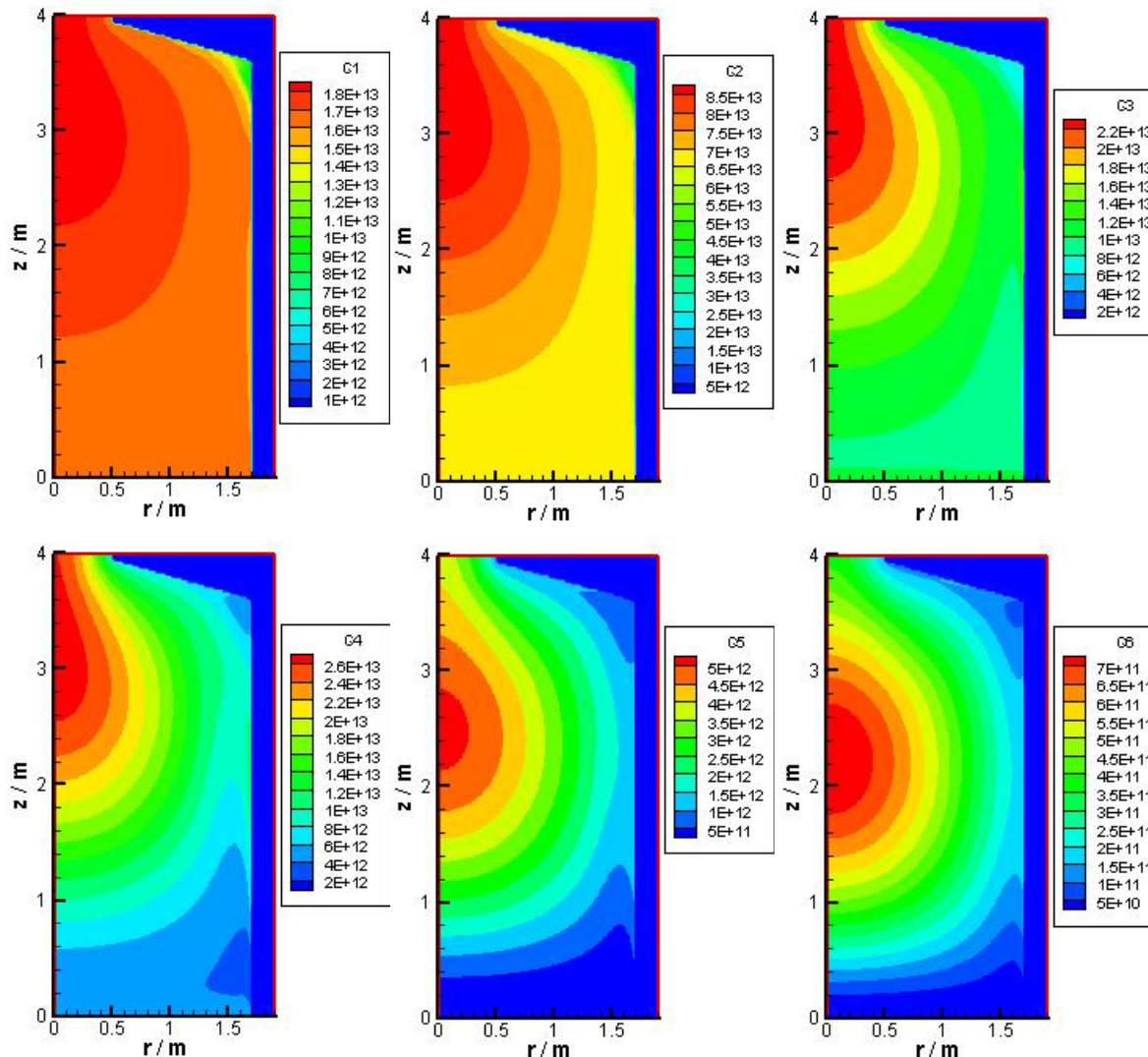




➤ Fundamental Research on MSRs

● Neutron physics analysis

□ Delayed neutron precursors



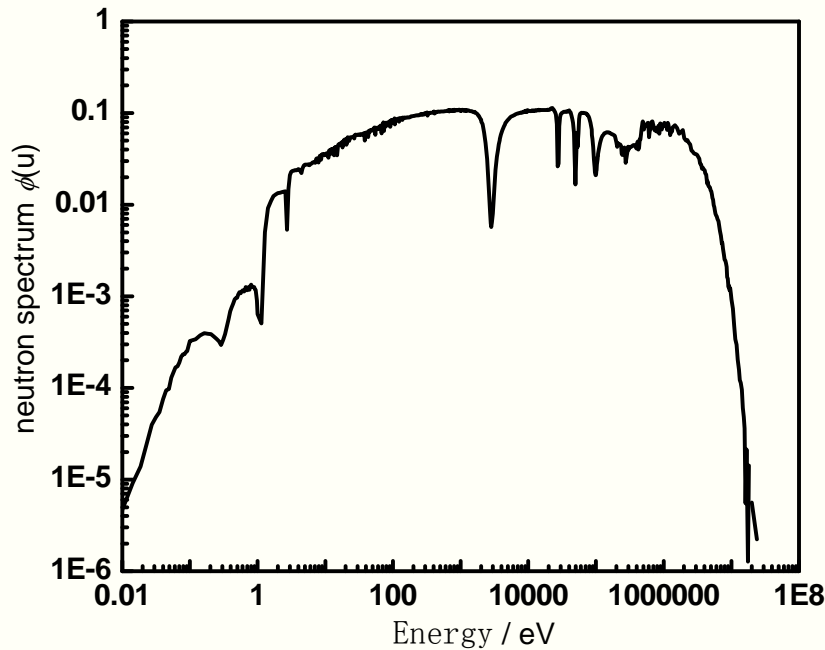
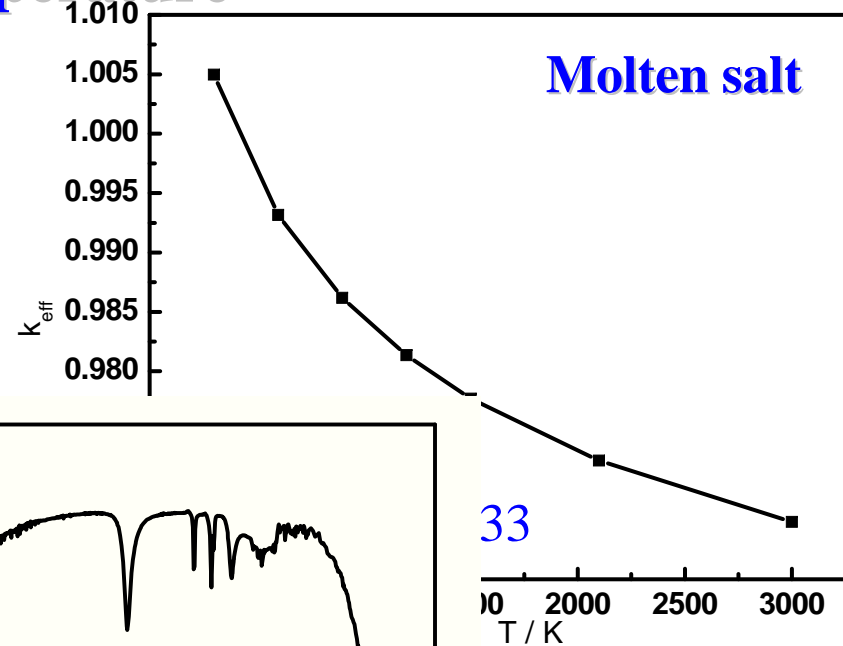
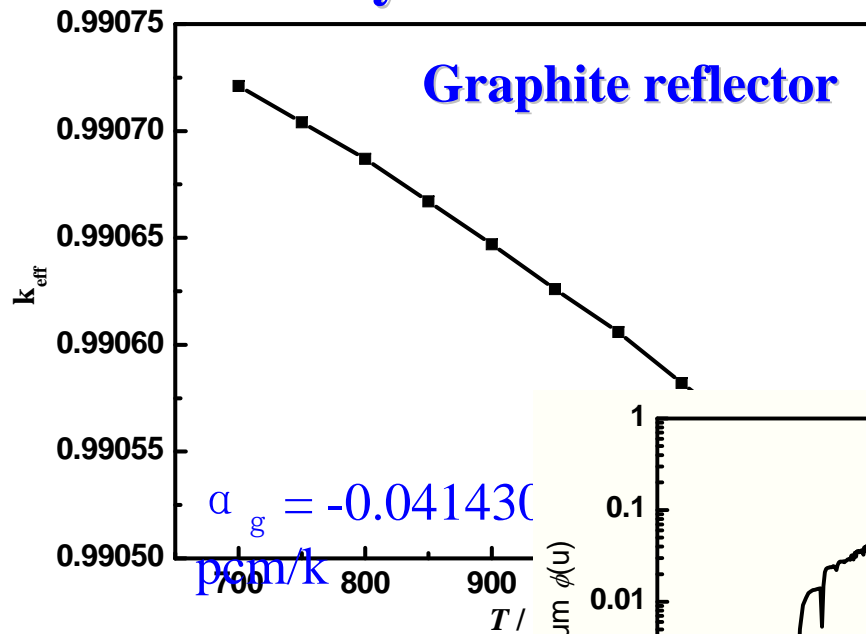
DNPs distribution show

- ✧ Drift downstream with the flow;
- ✧ The larger the decay constant, the greater the flow effects.



Fundamental Research on MSRs • Neutron physics analysis

Reactivity coefficient of temperature

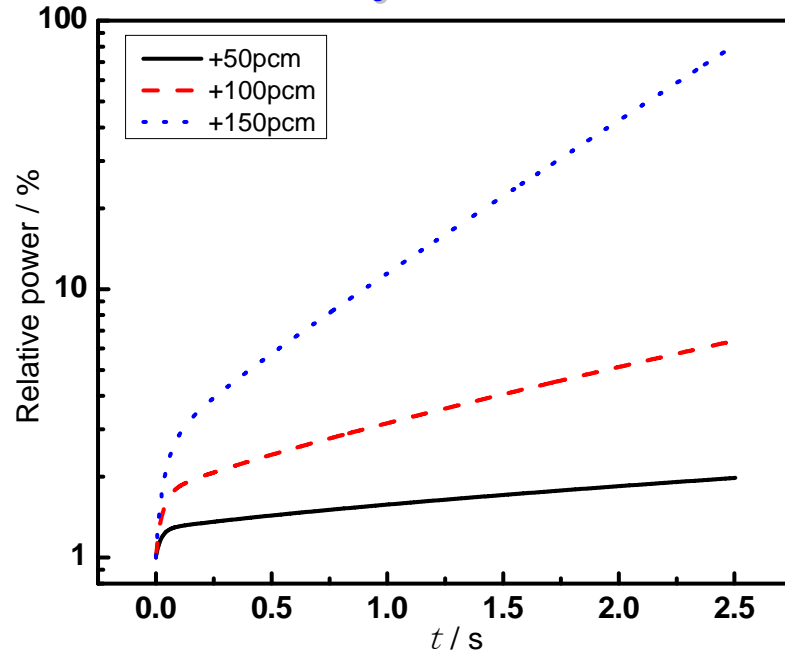




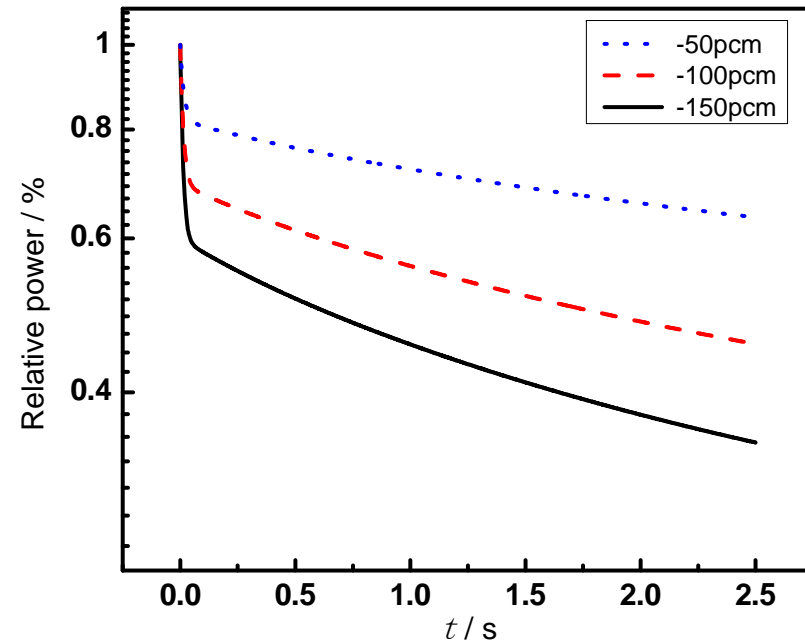
➤ **Fundamental Research on MSRs**

● **Neutron physics analysis**

□ **Reactivity increase**



□ **Reactivity decrease**



The relative power increases (decreases) greatly in short time at beginning, then changes with a certain speed.

The larger the reactivity changes, the greater the initial power generates and the faster the changing speed is.



- **Fundamental Research on MSRs** • **Thermal hydraulic analysis**
- ✓ **ORNL: there was no decisive difference between water and molten fluorides from the flow and heat transfer viewpoint .**

➡ **Computational Fluid Dynamic (CFD) method**

$$\frac{\partial \rho u_z}{\partial z} + \frac{1}{r} \frac{\partial r \rho u_r}{\partial r} = 0$$

$$\frac{\partial (\rho u_z \cdot u_z)}{\partial z} + \frac{1}{r} \frac{\partial}{\partial r} (r \rho u_r \cdot u_z) = \frac{\partial}{\partial z} ((\eta + \eta_t) \frac{\partial u_z}{\partial z}) + \frac{1}{r} \frac{\partial}{\partial r} ((\eta + \eta_t) r \frac{\partial u_z}{\partial r}) + S_{u_z}$$

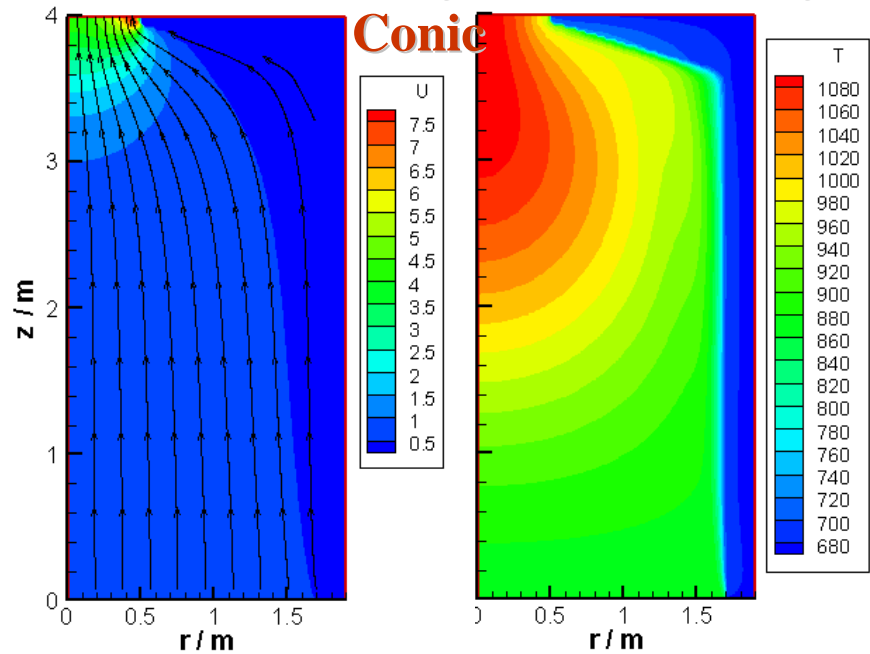
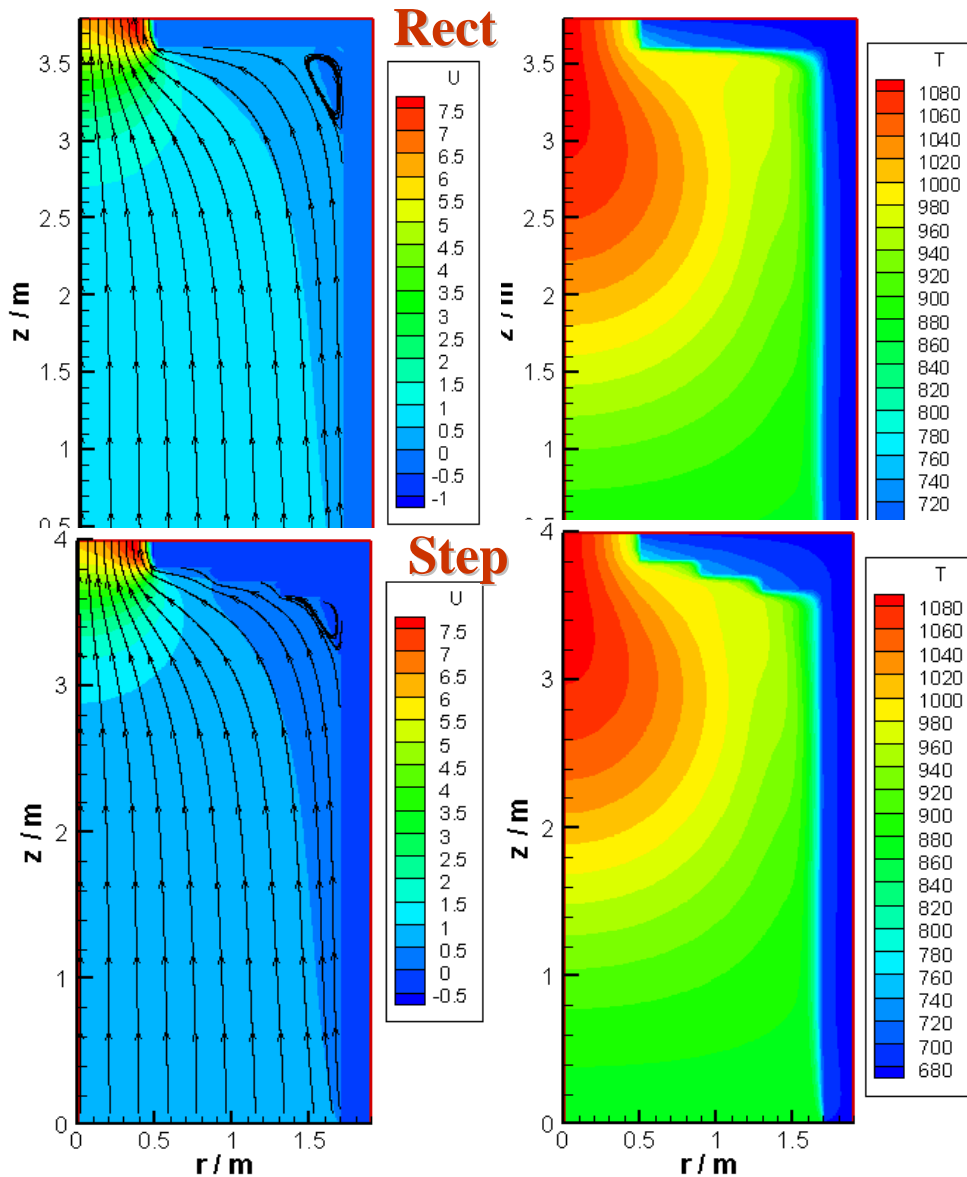
$$\frac{\partial (\rho u_z \cdot u_r)}{\partial z} + \frac{1}{r} \frac{\partial}{\partial r} (r \rho u_r \cdot u_r) = \frac{\partial}{\partial z} ((\eta + \eta_t) \frac{\partial u_r}{\partial z}) + \frac{1}{r} \frac{\partial}{\partial r} ((\eta + \eta_t) r \frac{\partial u_r}{\partial r}) + S_{u_r}$$

$$\frac{\partial (\rho u_z \cdot k)}{\partial z} + \frac{1}{r} \frac{\partial}{\partial r} (r \rho u_r \cdot k) = \frac{\partial}{\partial z} ((\eta + \frac{\eta_t}{\sigma_k}) \frac{\partial k}{\partial z}) + \frac{1}{r} \frac{\partial}{\partial r} ((\eta + \frac{\eta_t}{\sigma_k}) r \frac{\partial k}{\partial r}) + S_k$$

$$\frac{\partial (\rho u_z \cdot \varepsilon)}{\partial z} + \frac{1}{r} \frac{\partial}{\partial r} (r \rho u_r \cdot \varepsilon) = \frac{\partial}{\partial z} ((\eta + \frac{\eta_t}{\sigma_\varepsilon}) \frac{\partial \varepsilon}{\partial z}) + \frac{1}{r} \frac{\partial}{\partial r} ((\eta + \frac{\eta_t}{\sigma_\varepsilon}) r \frac{\partial \varepsilon}{\partial r}) + S_\varepsilon$$



➤ **Fundamental Research on MSR** • **Thermal hydraulic analysis**



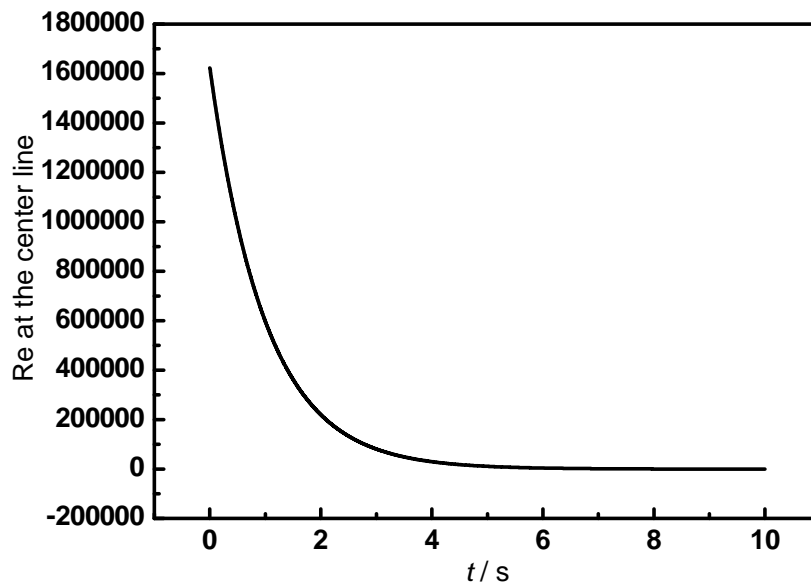
- **Conic design satisfy:**
 - Avoid reverse or stagnant flow
 - Maximum temperature is low enough



- **Fundamental Research on MSRs**
- **Thermal hydraulic analysis**

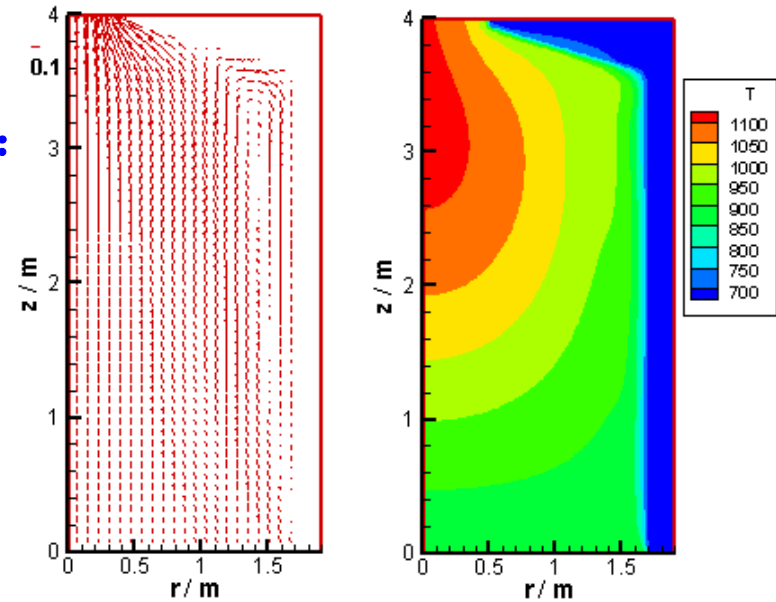
Flow decreases:

$$u_{in}(t) = u_{in}(0)e^{-\tau_{pump} \cdot t}$$

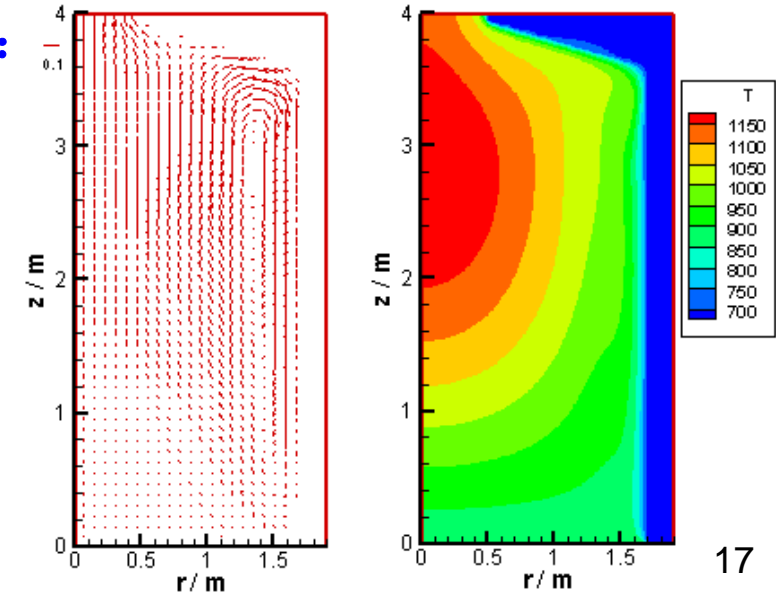


Re decreases exponentially, similar with the inlet velocity.

t=2s:

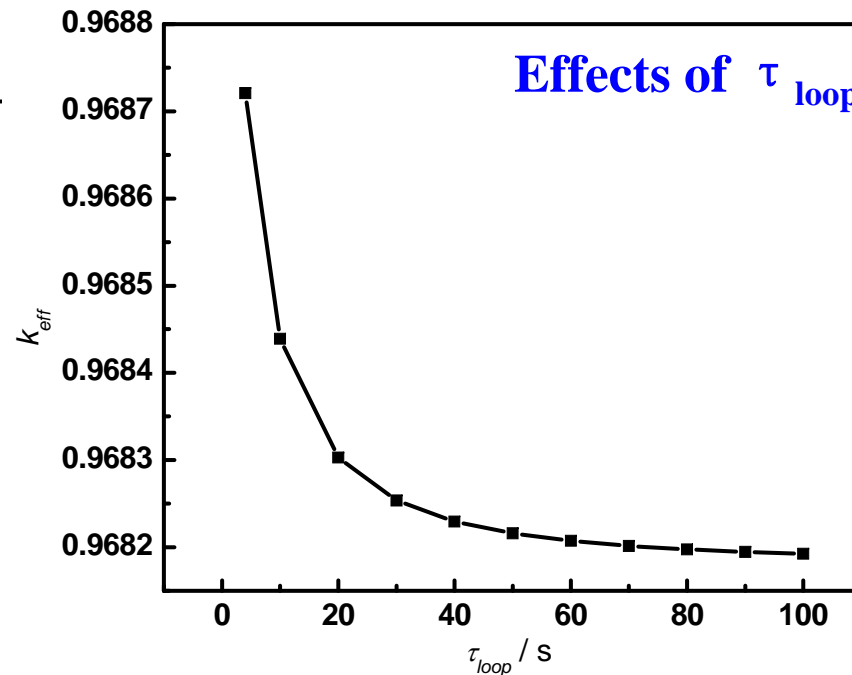
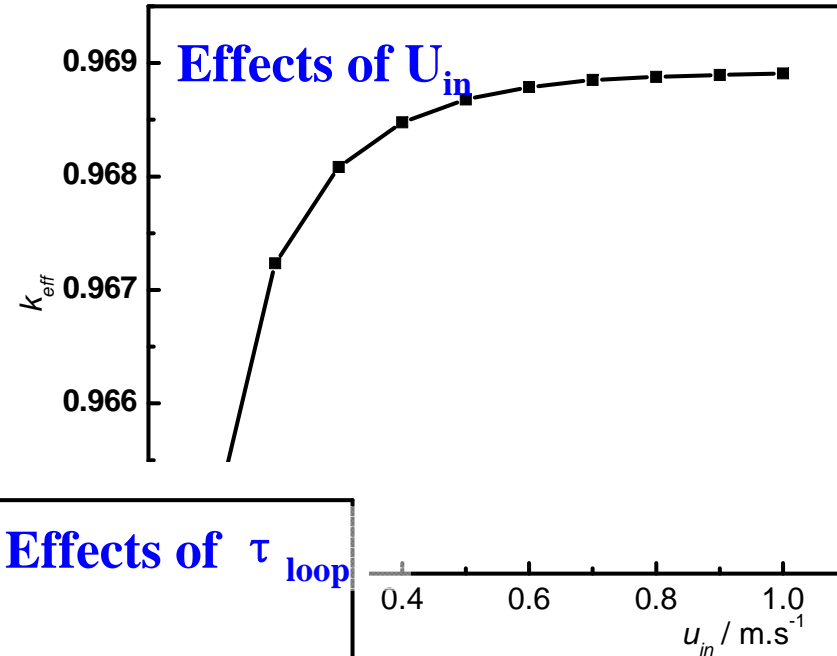
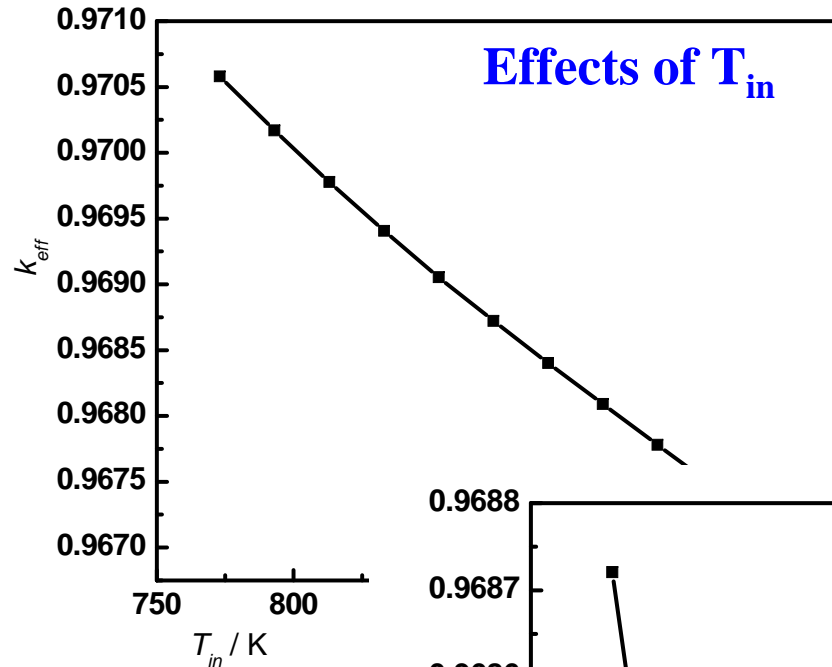


t=4s:





► **Fundamental Research on MSR** • **N-T coupling: steady**

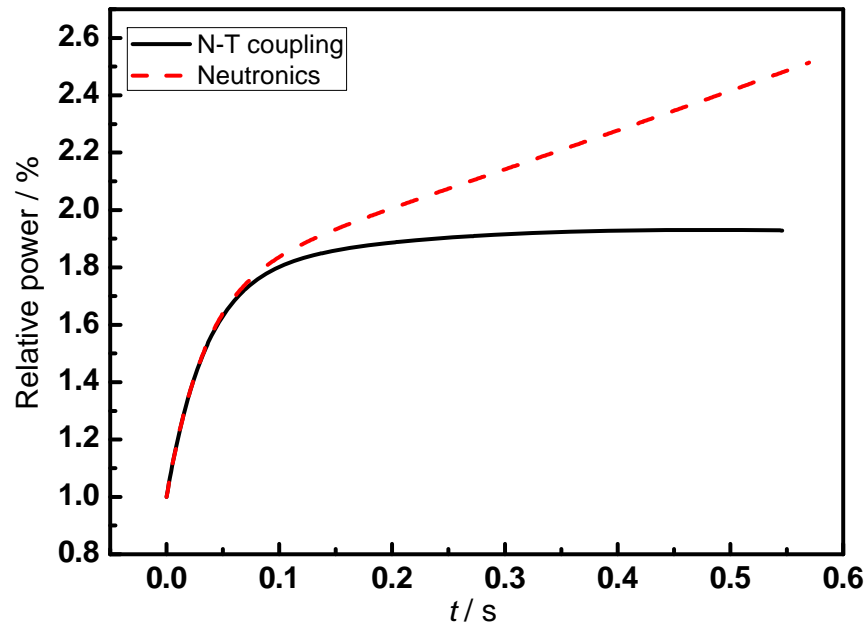


→ Favor for
safety



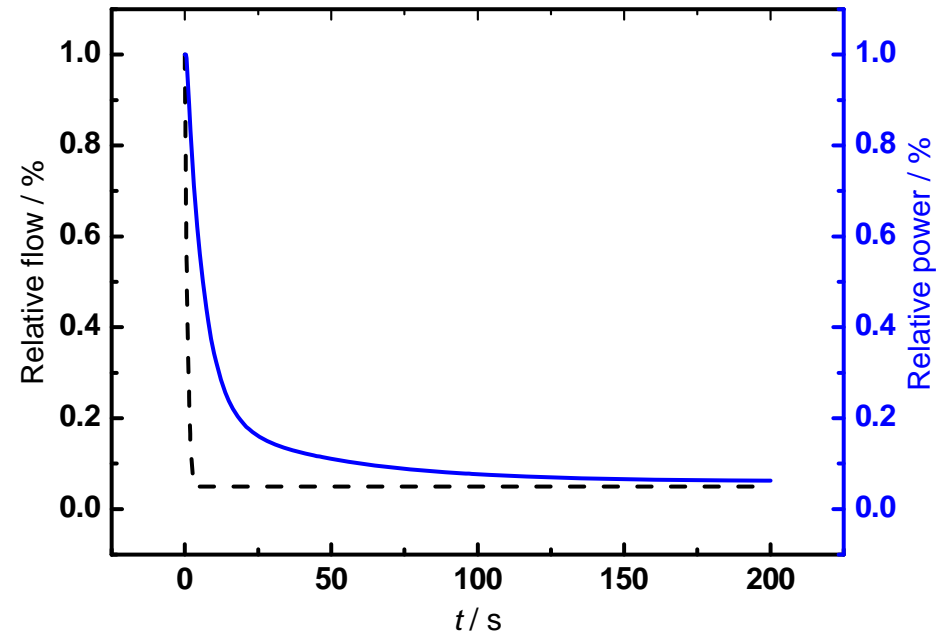
➤ **Fundamental Research on MSR**s • **N-T coupling: transient**

□ **Reactivity increases 100pcm:**



Power increases suddenly, then slowly reaches a steady power.

□ **Flow mass decreases:**



Power decreases quickly with the flow, and slowly reaches the power matching with the flow



➤ **Fundamental Research on MSRs** ● **Safety analysis**

□ **Exact point kinetic model:**

Based on the energy-time-space dependent neutronics model, using **perturbation theory**

$$\frac{dp_r(t)}{dt} = \frac{\rho(t) - \tilde{\beta}(t)}{\Lambda(t)} p_r(t) + \sum_{i=1} \lambda_i c_i(t)$$

$$\frac{d}{dt} c_i(t) = -\lambda_i c_i(t) + \frac{\tilde{\beta}_i}{\Lambda(t)} p_r(t) - \frac{(W, \chi_{di}(E) \nabla \cdot [\vec{U} C_i(r, t)])}{K_0}$$

$$\frac{\partial C_i(r, t)}{\partial t} + \nabla \cdot [\mathbf{U} C_i(r, t)] = -\lambda_i C_i(r, t) + \beta_i \mathbf{F} \phi(r, E, t)$$

where: $\tilde{\beta}_i = \frac{(W, \chi_{di}(E) \lambda_i C_i(r, t))}{Y}$ (Effective fraction of DNPs)

W : **Weighted function**



➤ Fundamental Research on MSR's • Neutron physics analysis

✓ Effective fraction of delayed neutron

- only considering the neutron importance disregarding the importance of delayed neutron

$$\nabla \cdot D_g \nabla \phi_g^* + \sum_{n=1, n \neq g}^G \Sigma_{g \rightarrow n} \phi_n^* - \Sigma_{r,g} \phi_g^* + (1 - \beta)(v \Sigma_f)_g \sum_{n=1}^G \chi_{p,n} \phi_n^* = 0$$

$$\tilde{\beta}_i = \frac{(\phi^*, \beta_i \chi_{di}(E) F \phi)}{(\phi^*, \chi(E) F \phi)}$$

• For MOSART

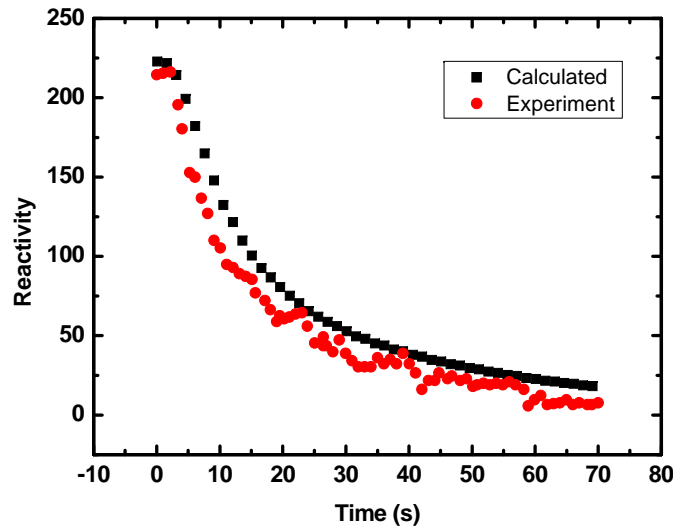
Velocity	$\Delta \rho$ [pcm]	β_1 [pcm]	β_2 [pcm]	β_3 [pcm]	β_4 [pcm]	β_5 [pcm]	β_6 [pcm]	β_{eff} [pcm]	β_{loss} [pcm]	$\beta_{loss} / \beta_{eff, static}$
Static	0.0	7.8	77.2	54.9	118.1	61.0	20.8	339.8	0.0	0.0 %
Flate	-115.2	3.7	37.3	28.9	78.4	56.4	20.5	225.2	114.6	33.7%
Parabolic	-131.8	3.6	36.4	27.1	69.3	53.0	20.1	209.5	130.3	38.4%
RRC-KI	-143.4	2.8	29.4	24.1	68.5	53.1	19.9	197.8	142.0	41.8%
XJTU	-127.0	3.6	36.3	27.5	70.5	53.5	20.1	211.5	128.3	37.8%



➤ Fundamental Research on MSRs

✓ Modified point model ($W = 1$)

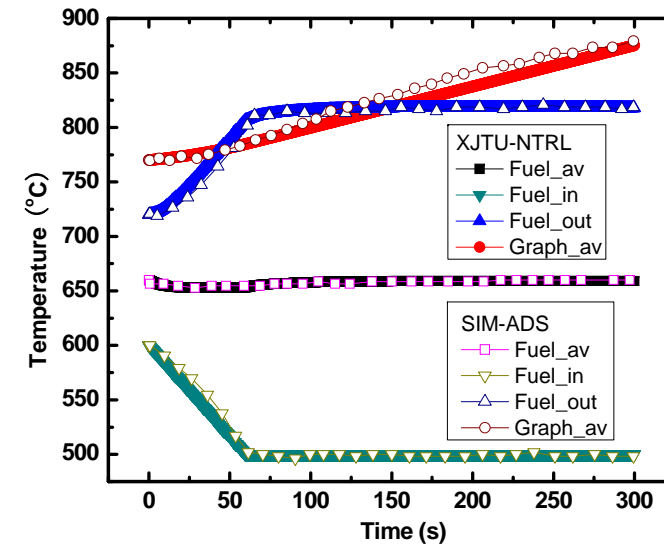
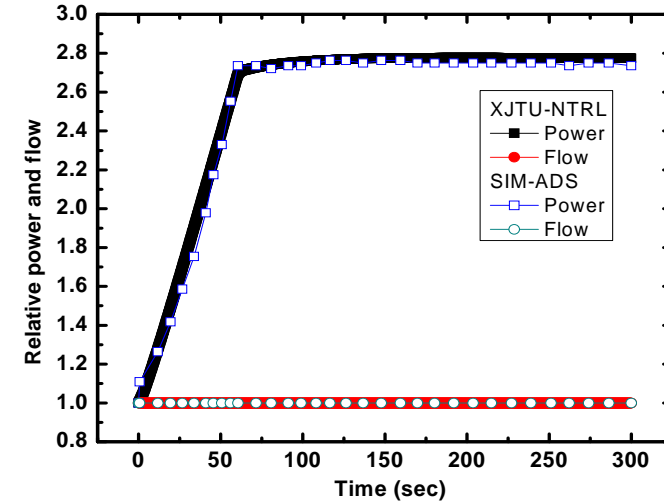
$$\left\{ \begin{aligned} \frac{dn(t)}{dt} &= \frac{(\rho(t) - \tilde{\beta}_{eff})}{\Lambda} n(t) + \sum_{i=1}^6 \lambda_i c_{c,i} \\ \frac{dc_{c,i}}{dt} &= \frac{\beta_i}{\Lambda} n(t) - \lambda_i c_{c,i} + c_{l,i} \frac{1}{\tau_l} \left(\frac{V_l}{V_c} \right) - c_{c,i} \frac{1}{\tau_c} \\ \frac{dc_{l,i}}{dt} &= -\lambda_i c_{l,i} + c_{c,i} \frac{1}{\tau_c} \left(\frac{V_c}{V_l} \right) - c_{l,i} \frac{1}{\tau_l} \end{aligned} \right.$$



MSRE: coastdown

MOSART: UOCC

● Safety analysis





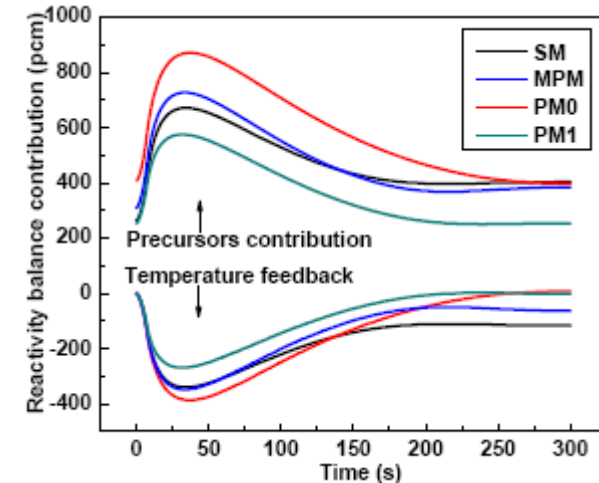
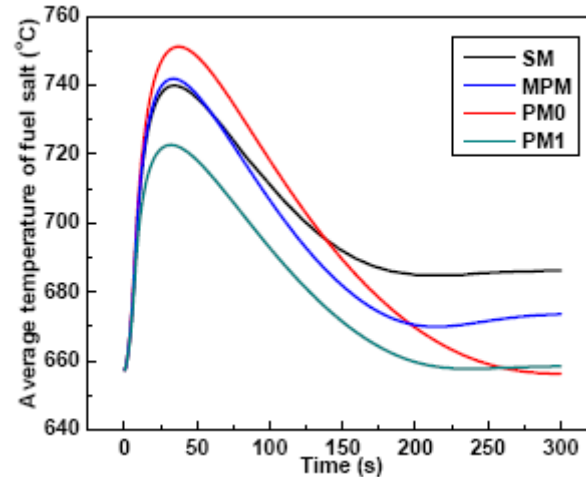
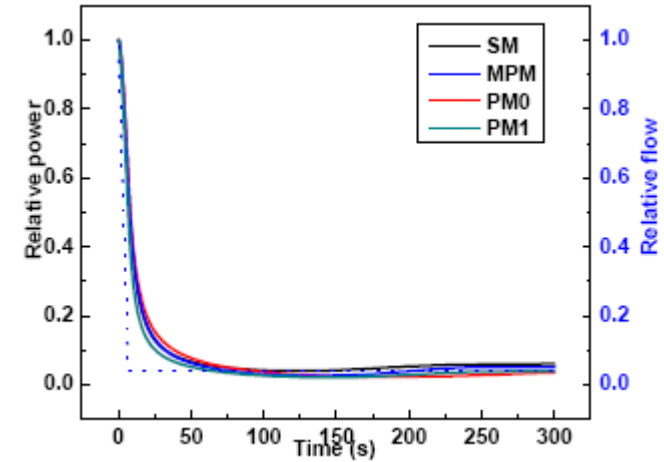
- **Fundamental Research on MSR**
 - ✓ **Comparison of modeling options for delayed neutron precursor movement in molten salt reactors**

SM

$$\left\{ \begin{aligned} \frac{dc_i(t)}{dt} &= -\lambda_i c_i(t) + \frac{\beta_i}{\Lambda(t)} n(t) \\ \frac{\partial C_i(r,t)}{\partial t} + \nabla \cdot [\vec{U} C_i(r,t)] &= -\lambda_i C_i(r,t) \\ &+ \beta_i F \phi n(t) \end{aligned} \right.$$

MOSART: ULOF

SM: spatial model
MPM: modified point model
PM: point model





➤ **Conclusion Remarks**

- **We studied the static thermophysical properties, neutron physics, thermal hydraulics, N-T coupling and safety characteristics by founding theoretical models and designing micro-computer codes.**
- **The established models are applied to MOSART, the results of which demonstrate the validation of the models.**
- **MOSART is a promising reactor with inherent safety (negative temperature coefficient, flow effects...).**



Xi'an Jiaotong University

**Nuclear Thermo-hydraulic
Research Laboratory**

